

#### Cambridge International AS & A Level

| 9702/42       |
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| May/June 2024 |
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This mark scheme is published as an aid to teachers and candidates, to indicate the requirements of the examination. It shows the basis on which Examiners were instructed to award marks. It does not indicate the details of the discussions that took place at an Examiners' meeting before marking began, which would have considered the acceptability of alternative answers.

Mark schemes should be read in conjunction with the question paper and the Principal Examiner Report for Teachers.

Cambridge International will not enter into discussions about these mark schemes.

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#### **Abbreviations**

| 1 |   | Alternative and acceptable answers for the same marking point.  |
|---|---|---|
| ( | ) | Bracketed content indicates words which do not need to be explicitly seen to gain credit but which indicate the <b>context</b> for an answer. The context does not need to be seen but if a context is given that is incorrect then the mark should not be awarded. |
| _ |   | Underlined content must be present in answer to award the mark. This means either the exact word or another word that has the same technical meaning.   |

#### Mark categories

| <b>B</b> marks | These are <u>independent</u> marks, which do not depend on other marks. For a <b>B</b> mark to be awarded, the point to which it refers must be seen specifically in the candidate's answer.   |  |
|----------------|--|--|
| <b>M</b> marks | These are <u>method</u> marks upon which <b>A</b> marks later depend. For an <b>M</b> mark to be awarded, the point to which it refers must be seen specifically in the candidate's answer. If a candidate is not awarded an <b>M</b> mark, then the later <b>A</b> mark cannot be awarded either.   |  |
| C marks        | These are <u>compensatory</u> marks which can be awarded even if the points to which they refer are not written down by the candidate, providing subsequent working gives evidence that they must have known them. For example, if an equation carries a <b>C</b> mark and t candidate does not write down the actual equation but does correct working which shows the candidate knew the equation, then th <b>C</b> mark is awarded. |  |
|                | If a correct answer is given to a numerical question, all of the preceding <b>C</b> marks are awarded automatically. It is only necessary to consider each of the <b>C</b> marks in turn when the numerical answer is not correct.   |  |
| A marks        | These are <u>answer</u> marks. They may depend on an <b>M</b> mark or allow a <b>C</b> mark to be awarded by implication.  |  |

| Question | Answer   | Marks      |
|----------|--|------------|
| 1(a)     | angle (subtended at the centre of a circle) when arc (length) = radius | B1         |
| 1(b)(i)  | arrow, labelled V, pointing in NE direction                            | B1         |
| 1(b)(ii) | arrow, labelled A, pointing in NW direction                            | B1         |
| 1(c)(i)  | $V = r\omega$  | C1         |
|          | $\omega = 0.68 / (0.093 - 0.012)$                                      | <b>A</b> 1 |
|          | $= 8.4  \text{rad s}^{-1}$   |            |
| 1(c)(ii) | $a = v^2/r$ or $a = r\omega^2$   | C1         |
|          | $a = 0.68^2/(0.093 - 0.012)$ or $(0.093 - 0.012) \times 8.4^2$         | A1         |
|          | $= 5.7 \mathrm{ms^{-2}}$   |            |
| 1(d)     | angular speed: same for both pieces                                    | B1         |
|          | linear speed: less for second piece than first piece                   | B1         |
|          | acceleration: less for second piece than first piece                   | B1         |

| Question  | Answer   | Marks |
|-----------|--|-------|
| 2(a)      | (if in thermal contact) no net transfer of (thermal) energy (between them) | B1    |
| 2(b)(i)   | pV = nRT   | C1    |
|           | $T = (1.20 \times 10^5 \times 0.0260) / (0.740 \times 8.31)$               | M1    |
|           | ( = 507 K)   |       |
|           | temperature = 507 – 273 = 234 °C   | A1    |
| 2(b)(ii)  | thermal equilibrium <u>so</u> temperatures (of X and Y) are equal          | B1    |
|           | pV = NkT   | C1    |
|           | $N = (2.90 \times 10^5 \times 0.0430) / (1.38 \times 10^{-23} \times 507)$ | A1    |
|           | $= 1.78 \times 10^{24}$  |       |
| 2(b)(iii) | (molecular) kinetic energy is proportional to temperature                  | B2    |
|           | <b>or</b><br>kinetic energy (of molecules) is same in both cylinders       |       |
|           | kinetic energy proportional to mass × mean-square speed                    |       |
|           | <b>or</b> temperature proportional to mass × mean-square speed             |       |
|           | <b>or</b> r.m.s. speed proportional to √(temperature / mass)               |       |
|           | mean-square speed inversely proportional to mass                           |       |
|           | <b>or</b> r.m.s. speed inversely proportional to $\sqrt{\text{(mass)}}$    |       |
|           | Any two bulleted points, 1 mark each                                       |       |
|           | r.m.s. speed (of molecules) in X is half r.m.s. speed (of molecules) in Y  | B1    |

| Question | Answer  | Marks |
|----------|---|-------|
| 3(a)     | sum of potential energy and kinetic energy  | B1    |
|          | (total) energy of random motion of particles  | B1    |
| 3(b)(i)  | no change in separation so no change in (molecular) potential energy                  | B1    |
|          | temperature increases so kinetic energy (of molecules) increases                      | B1    |
|          | kinetic energy increases and potential energy unchanged, so internal energy increases | B1    |
| 3(b)(ii) | temperature constant so no change in (molecular) kinetic energy                       | B1    |
|          | separation increases so potential energy (of molecules) increases                     | B1    |
|          | potential energy increases and kinetic energy unchanged, so internal energy increases | B1    |

| Question  | Answer  | Marks |
|-----------|---|-------|
| 4(a)      | straight line through the origin shows that <i>a</i> is proportional to <i>x</i>              | B1    |
|           | negative gradient shows that <i>a</i> and <i>x</i> are (always) in opposite <u>directions</u> | B1    |
| 4(b)(i)   | $a = -\omega^2 x$   | A1    |
|           | $\omega = \sqrt{(2A/3Y)}$   |       |
| 4(b)(ii)  | $v_0 = \omega x_0$  | C1    |
|           | $=3Y\times\sqrt{(2A/3Y)}$   | A1    |
|           | $=\sqrt{(6AY)}$   |       |
| 4(b)(iii) | $E = \frac{1}{2} m\omega^2 x_0^2$   | C1    |
|           | $= \frac{1}{2} m \times (2A/3Y) \times (3Y)^2$  | A1    |
|           | = 3mAY  |       |
| 4(c)      | $\omega = 2\pi / T$   | C1    |
|           | $(=2\pi/0.75)$  |       |
|           | $x = 1.8 \sin(8.4 t)$   | A1    |

| Question | Answer   | Marks |
|----------|--|-------|
| 5(a)     | work done per unit charge  | B1    |
|          | work (done) moving positive charge from infinity (to the point)  | B1    |
| 5(b)     | Any three points from:   | В3    |
|          | <ul> <li>Up to 2 points from:</li> <li>radius of sphere X is 0.30 m</li> <li>radius of sphere Y is 0.10 m</li> <li>radius of X is treble the radius of Y</li> <li>Up to 2 points from:</li> <li>charge on X is positive</li> <li>charge on Y is positive</li> <li>spheres X and Y carry charges of the same sign</li> <li>Up to 1 point from:</li> <li>(magnitudes of) charges on the spheres are equal</li> <li>charges on the spheres have the same magnitude</li> </ul> |       |
| 5(c)     | proton remains at rest (in the position of release)  | M1    |
|          | potential energy of proton is (already) at its minimum  or  (electric) forces (from spheres) on proton are equal and opposite  or  no resultant (electric) force on proton  or   | A1    |
|          | resultant electric field strength (at proton) is zero  |       |

| Question  | Answer  | Marks |
|-----------|---|-------|
| 6(a)      | equal charge on both capacitors   | B1    |
|           | $V_X + V_Y = V$   | M1    |
|           | $(Q/C_X) + (Q/C_Y) = (Q/C_T)$ leading to $(1/C_X) + (1/C_Y) = (1/C_T)$              | A1    |
|           | or  |       |
|           | $(V_X/Q) + (V_Y/Q) = (V/Q)$ leading to $(1/C_X) + (1/C_Y) = (1/C_T)$                |       |
| 6(b)(i)   | $E = \frac{1}{2}CV^2$   | C1    |
|           | $V = \sqrt{[(2 \times 2.5 \times 10^{-3}) / (200 \times 10^{-6})]} = 5.0 \text{ V}$ | A1    |
| 6(b)(ii)  | total capacitance = 600 μF  | C1    |
|           | $E = \frac{1}{2} \times 600 \times 10^{-6} \times 5.0^{2}$                          | C1    |
|           | $(=7.5\times10^{-3}\mathrm{J})$   |       |
|           | = 7.5 mJ  | A1    |
| 6(b)(iii) | line with positive gradient starting at (0, 2.5)                                    | B1    |
|           | straight line passing through (400, 7.5)  | B1    |

| Question  | Answer   | Marks |
|-----------|--|-------|
| 7(a)      | (induced) e.m.f. is (directly) proportional to rate                                | M1    |
|           | of change of (magnetic) flux (linkage)   | A1    |
| 7(b)(i)   | $\Phi = BA$  | C1    |
|           | $= 7.2 \times 10^{-3} \times 3.2 \times 10^{-4}$                                   | A1    |
|           | $= 2.3 \times 10^{-6}  \text{Wb}$  |       |
| 7(b)(ii)  | tangent drawn at steepest point on Fig. 7.2  | C1    |
|           | evidence of multiplication by 340  | C1    |
|           | maximum rate of change of flux = 0.82 Wb s <sup>-1</sup>                           | A1    |
| 7(b)(iii) | $V_0 = 0.82 \text{V}$  | A1    |
|           | or $V_0$ given as identical numerical answer to the answer in <b>(b)(ii)</b>       |       |
| 7(b)(iv)  | sinusoidal curve of period 2.0 ms from $t = 0$ to $t = 6.0$ ms                     | B1    |
|           | all peaks at $+V_0$ and all troughs at $-V_0$                                      | B1    |
|           | line showing $V = 0$ at (and only at) $t = 0$ , 1.0, 2.0, 3.0, 4.0, 5.0 and 6.0 ms | B1    |
| 7(b)(v)   | A = 0.82 V   | A1    |
|           | or A has same numerical value as answer in (b)(iii), with unit V                   |       |
|           | $B = 2\pi/(2.0 \times 10^{-3})$  | C1    |
|           | $= 3100  \text{rad s}^{-1}$  | A1    |

| Question  | Answer  | Marks |
|-----------|---|-------|
| 8(a)(i)   | movement of star causes change in (observed) frequency or   | B1    |
|           | movement of star causes redshift  |       |
|           | observed frequency is lower (than emitted frequency)  | B1    |
| 8(a)(ii)  | all three lines shown to left of corresponding printed lines  | B1    |
|           | distance between drawn line and corresponding printed line approximately the same for all three lines | B1    |
| 8(b)(i)   | $E = hf \text{ and } \lambda = c/f$   | C1    |
|           | $E = (6.63 \times 10^{-34} \times 3.00 \times 10^{8}) / (488 \times 10^{-9})$                         | A1    |
|           | $= 4.08 \times 10^{-19} \mathrm{J}$   |       |
| 8(b)(ii)  | photon energy = $(4.08 \times 10^{-19}) / (1.60 \times 10^{-19})$                                     | C1    |
|           | = 2.55 eV   |       |
|           | energy level = $-3.40 + 2.55$   | A1    |
|           | = -0.85 eV  |       |
| 8(b)(iii) | $\Delta \lambda = \lambda \times (v/c)$   | C1    |
|           | $= (488 \times 6.2 \times 10^{6}) / (3.00 \times 10^{8})$   |       |
|           | ( = 10 nm)  |       |
|           | observed wavelength = $488 + \Delta \lambda = 488 + 10$   | A1    |
|           | = 498 nm  |       |

| Question |   | Answer  | Marks      |
|----------|---|---|------------|
| 8(c)     | V | $= H_0 d$                                     | C1         |
|          | d | $= (6.2 \times 10^6) / (2.3 \times 10^{-18})$ | <b>A</b> 1 |
|          |   | $= 2.7 \times 10^{24} \mathrm{m}$             |            |

| Question  | Answer   | Marks |
|-----------|--|-------|
| 9(a)      | energy required to separate (all) the nucleons (in the nucleus)  | M1    |
|           | to infinity  | A1    |
| 9(b)(i)   | $\Delta m = \{[(84 \times 1.007276) + (128 \times 1.008665)] - 211.942749\} (u)$   | C1    |
|           | ( = 1.778 u)   |       |
|           | $= 1.778 \times 1.66 \times 10^{-27} \text{ (kg)}$   | C1    |
|           | $= 2.95 \times 10^{-27} \mathrm{kg}$   | A1    |
| 9(b)(ii)  | $E = (\Delta)mc^2$   | C1    |
|           | binding energy = $2.95 \times 10^{-27} \times (3.00 \times 10^8)^2$  | A1    |
|           | $= 2.66 \times 10^{-10} \mathrm{J}$  |       |
| 9(b)(iii) | binding energy per nucleon = $(2.66 \times 10^{-10})/212$  | A1    |
|           | $= 1.25 \times 10^{-12} \mathrm{J}$  |       |
| 9(c)(i)   | line rising to a single peak that is to the left of the '9' in the Fig. 9.1 label and then continually decreasing                                    | B1    |
|           | steep positive gradient on the left of the peak and shallow negative gradient on the right   | B1    |
| 9(c)(ii)  | X shown on the line at a value of A that is to the right of the left-hand edge of the 'A' in the axis label, and to the left of '2' in the 250 label | B1    |
| 9(c)(iii) | nucleus formed (as a result of the decay) has a lower nucleon number   | B1    |
|           | (nucleus formed has a) greater binding energy per nucleon  | B1    |

| Question  | Answer  | Marks |
|-----------|---|-------|
| 10(a)     | time gives information about depth (of boundary)  | B1    |
|           | intensity gives information about <u>nature</u> of <u>boundary</u>                          | B1    |
| 10(b)(i)  | product of density and speed  | M1    |
|           | speed of ultrasound in medium (and density of medium)                                       | A1    |
| 10(b)(ii) | $Z_{\text{water}} = 1000 \times 1420 \ (= 1.42 \times 10^6 \text{kg m}^{-2} \text{s}^{-1})$ | C1    |
|           | and   |       |
|           | $Z_{\text{glass}} = 2500 \times 4560 \ (= 11.4 \times 10^6 \text{kg m}^{-2} \text{s}^{-1})$ |       |
|           | intensity reflection coefficient = $(11.4 - 1.42)^2 / (11.4 + 1.42)^2$                      | C1    |
|           | = 0.61  | A1    |